

RANDOM VARIABLES



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A *random variable* is *continuous* if its values do exist along a continuum. Thus, between any two values of the variable, other possible values exist.

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If you let $X = \textit{number of eggs a hen lays}$, then *that* is, in theory, a **discrete infinite random variable**.

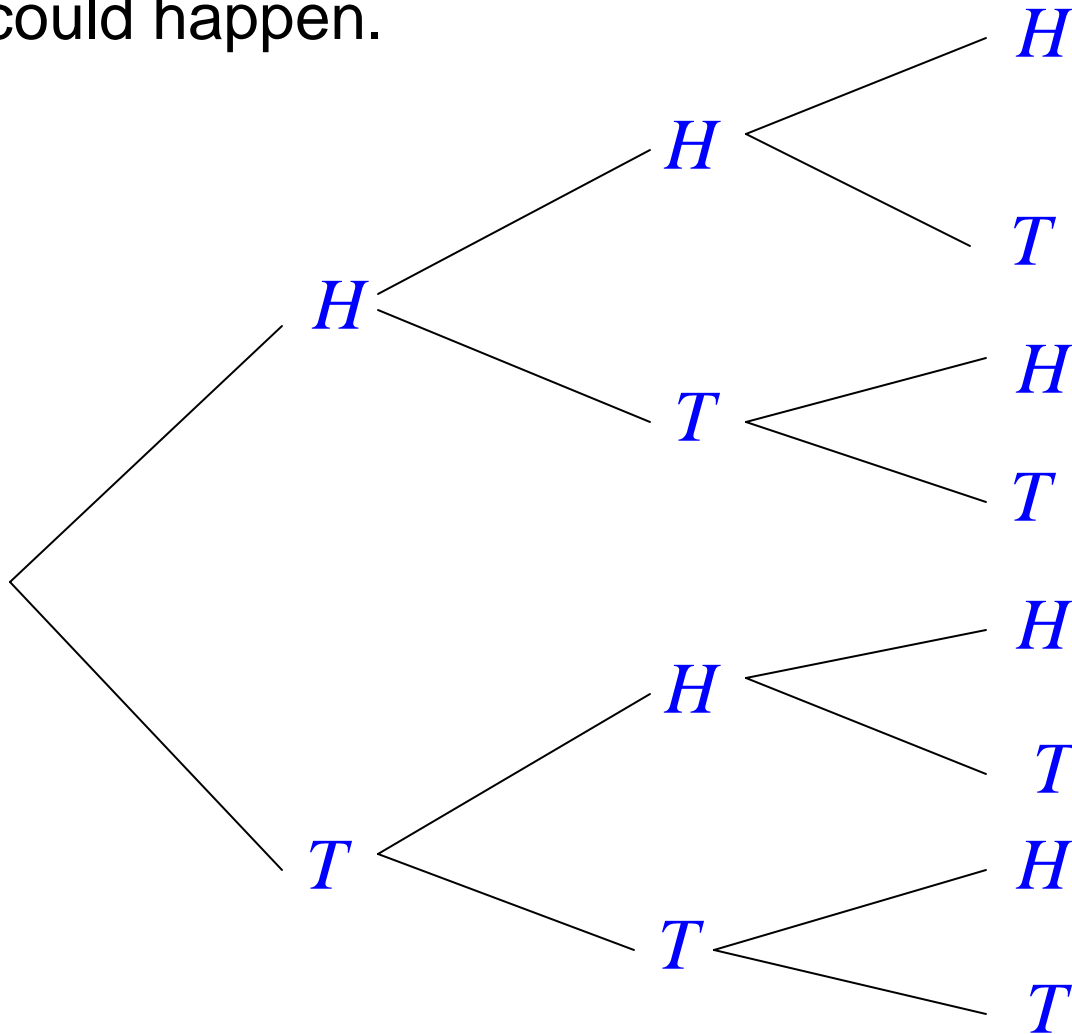
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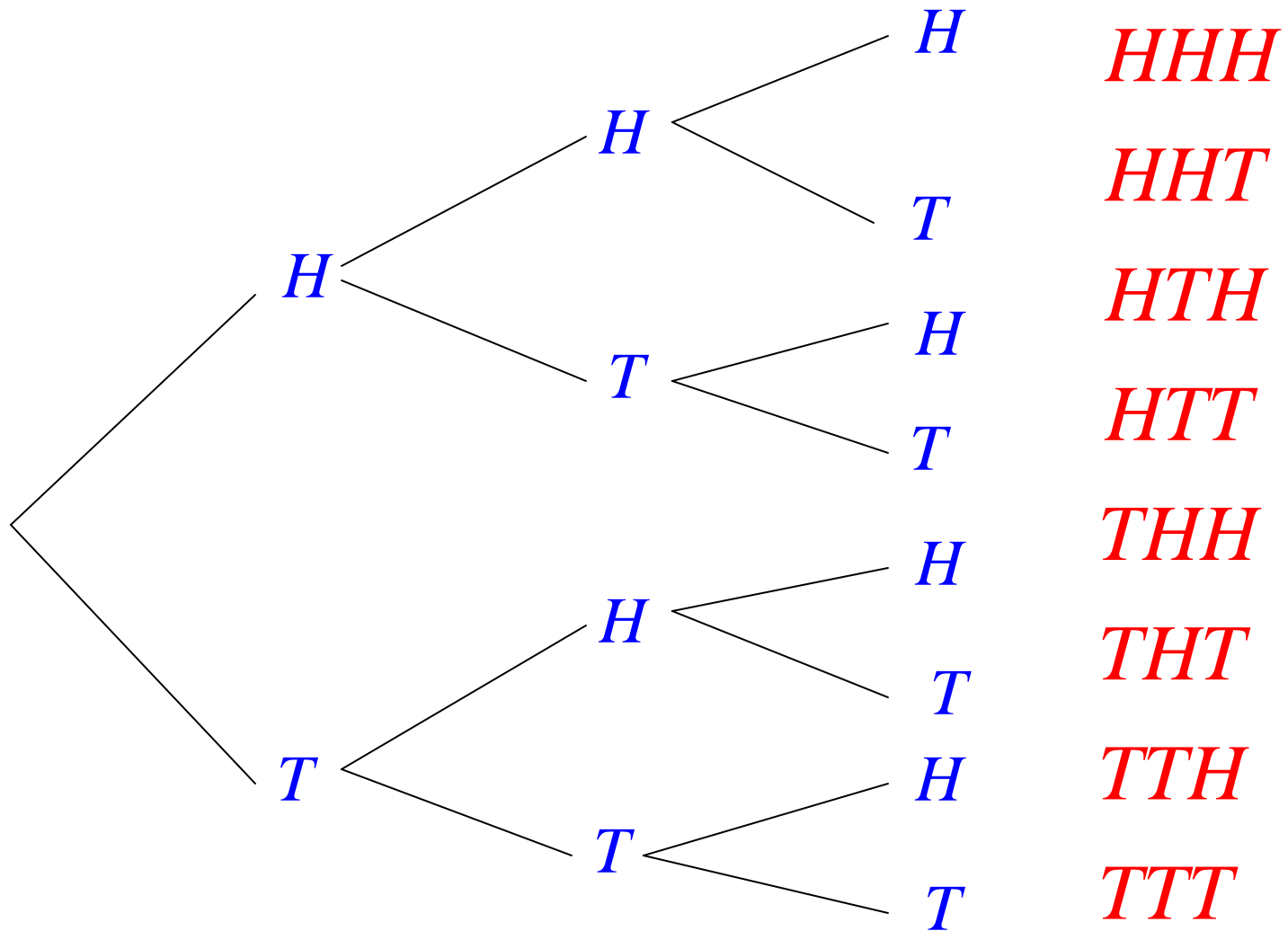
If you let $X = \textit{amount of milk a cow produces}$, then *that* is a **continuous random variable**.

Let's do the experiment where we flip a fair coin three times and let $X = \textit{number of heads}$, and let's consider what could happen.

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There are eight possible outcomes.



We can summarize the results in the following table.

$x = \text{number of heads}$	$P(x)$	
0	1/8	<i>HHH</i>
1	3/8	<i>HHT</i>
2	3/8	<i>HTH</i>
3	1/8	<i>HTT</i>
		<i>TTH</i>
		<i>THT</i>
		<i>THT</i>
		<i>TTT</i>

This type of table is called a *probability distribution*.

$x = \text{number of heads}$	$P(x)$
0	$1/8$
1	$3/8$
2	$3/8$
3	$1/8$

HHH

HHT

HTH

HTT

TTH

THT

TTH

TTT

Notice, also, the following:

$x = \text{number of heads}$	$P(x)$
0	1/8
1	3/8
2	3/8
3	1/8

HHH

HHT

HTH

HTT

TTH

THT

TTH

TTT

1. $0 \leq P(x) \leq 1$

2. $\sum P(x) = 1$

We can also create a histogram on our calculator for this Probability distribution by completing the following screens:

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0	1/8	<i>HHH</i>
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1. $0 \leq P(x) \leq 1$

2. $\sum P(x) = 1$

THH

THT

TTH

TTT

We can also create a histogram on our calculator for this Probability distribution by completing the following screens:

L1	L2	L3	2
0	.125	-----	
1	.375		
2	.375		
3	.125		

L2(5) =			

```

WINDOW
Xmin=-1
Xmax=5
Xscl=1
Ymin=-.2
Ymax=.5
Yscl=.1
Xres=1
    
```

```

Plot1 Plot2 Plot3
Off Off
Type: [line] [line] [line]
      [hist] [hist] [line]
Xlist:L1
Freq:L2
    
```

